

# Population

①

US adults that are registered to vote

Population of United States

OR voters

"likely" voters

# Variable

→ Support : Yes No

Absolutely Support  
+10

Absolutely do not  
support  
~~10~~

→ Age, Income, Gender,

# Parameter

Mean or Median on Likert Scale  
for all units in our population

Proportion that answered "Yes"

Mode ~~→~~ on Likert Scale

# Question

How does support vary by State?  
↓  
2nd variable

proportion in all voters in each state ②

• point estimate  
→ populations → proportions state by state

• hypothesis test  
→ ~~does~~ does CA proportion differ from OR proportion  
population

Is the population mean equal to "neither support" nor oppose?

$$1 - 7\% = 4$$

⇒ Hypothesis test

What proportion of US population supports?

Point Estimate  
↙ Interval Estimate

# Properties of Normally Distributed variables

If  $X \sim N(0, 1)$  then  $\sigma X + \mu \sim N(\mu, \sigma^2)$

*is distributed* (pointing to  $X$ )  
*mean* (pointing to 0)  
*variance* (pointing to 1)  
*multiplying* (pointing to  $\sigma$ )  
*adding* (pointing to  $\mu$ )

Also if  $Y \sim N(\mu, \sigma^2)$  then  $\frac{Y - \mu}{\sigma} \sim N(0, 1)$

→ use a lot  
all you need table  
of standard Normal

More generally, if  $X \sim N(\mu, \sigma^2)$  then

$$aX + b \sim N(a\mu + b, a^2\sigma^2)$$

# Properties of Normally Distributed variables

If  $\underline{X} \sim N(\mu_X, \sigma_X^2)$  and  $\underline{Y} \sim N(\mu_Y, \sigma_Y^2)$ , independent of  $X$ .

Then,

$$Z = X + Y \sim N(\mu_X + \mu_Y, \underbrace{\sigma_X^2 + \sigma_Y^2}_{\text{require independence}})$$

**Independent:** knowing value of one variable doesn't help to guess value of other.